Name:	
Date:	

Discrete Probability Distributions Worksheet

- 1. You flip four coins. Let X, the random variable, be the number of heads on all four coins.
- a. List the sample space for the experiment.
- b. What are the possible values for x?
- c. Is the random variable, x, continuous or discrete?
- d. Construct a probability distribution for this experiment.

Х

P(X)

e. Construct a histogram for the probability distribution in the space below.

2. Determine if the following are probability distributions (if no, state why).

а.	X P(X)	3 4/9	6 2/9	9 1/9	12 1/9	15 1/9
b.	X	1	2	3	4	5
	P(X)	3/10	1/10	1/10	2/10	3/10
C.	X P(X)	20 1.1	30 0.2	40 0.9	50 0.3	

Name:

- 3. Determine if the following are discrete or continuous random variables:
- a. The speed of a race car in mph.
- b. The number of cups of coffee that Mrs. Lowery drinks each day.
- c. The number of people that play the SC Lottery each day.
- d. The weight of a rhinoceros.
- e. The time it takes to complete Mrs. Lowery's midterm.
- f. The number of math majors at USC.
- g. The blood pressures of patients at Lexington Medical Center.

4. Construct a probability distribution for the data and draw a histogram for the following:

a. The probabilities that a patient will have 0,1 ,2 , or 3 medical tests performed on entering a hospital are 6/15, 5/15, 3/15, and 1/15 respectively.

X P(X)

b. A die is loaded in such a way that the probabilities of getting 1, 2, 3, 4, 5, and 6 are 1/2, 1/6, 1/12, 1/12, 1/12, and 1/12 respectively.

X P(X) Name: _____

c. A box contains 3 \$1 bills, 2 \$5 bills, 1 \$10 bill, and 1 \$20 bill.

X P(X)

d. A family has three children. Let X represent the number of boys.

X P(X)

5. Below is a probability distribution for the number of math failures of BC students.

Х	0	1	2	3	4
P(X)	.41	.38		.08	.02

a. P(X = 2)

b. P(X < 2)

c. P(X ≤ 2)

d. P(X ≤ 1)

e. P(X > 2)

f. P(X = 3 or X = 4)

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Mean, Variance, and Expectation

- From past experience, a company has found that in carton of transistors, 92% contain no defective transistors, 3% contain one defective transistor, 3% contain two defective transistors, and 2% contain three defective transistors.
 - a. Construct a probability distribution below.
 - X P(X)
 - b. Calculate the mean, variance, and standard deviation for the defective transistors.
 - μ=
 - $\sigma^2 =$
 - σ=
- 2. The number of suits sold per day at Suit World is shown in the probability distribution below.

Х	19	20	21	22	23
P(X)	0.2	0.2	0.3	0.2	0.1

- a. Find the mean, variance, and standard deviation of the distribution.
 - $\mu = \sigma^2 =$

σ=

b. If the manager of Suit World wants to make sure that he has enough suits for the next five days, how many should he buy to stock the store?

Name: _____

3. The Bank of America VP feels that each savings account customer has, on average, three credit cards. The following distribution represents the number of credit cards people own.

Х	0	1	2	3	4
P(X)	0.18	0.44	0.27	0.08	0.03

a. Find the mean, variance, and standard deviation.

 $\mu = \sigma^2 =$

 $\sigma =$

- b. Is the VP correct?
- 4. Rish Florist determines the probabilities for the number of flower arrangements they deliver each day.

Х	6	7	8	9	10
P(X)	0.2	0.2	0.3	0.2	0.1

a. Find the mean, variance, and standard deviation.

 $\mu =$

 $\sigma^2\!=\!$

σ=

b. Approximately how many arrangements should Rish expect to deliver each week?

Games & Expectation

1. A box contains ten \$1 bills, five \$2 bills, three \$5 bills, one \$10 bill, and one \$100 bill. A person is charged \$20 to select one bill. Find the expected value for this game. Is this game fair?

2. If a person rolls doubles when he tosses two dice, he wins \$5. The cost to play the game is \$1. Is this game fair?

3. A raffle sells 100 tickets at \$5 a piece. There is one \$500 prize, five \$100 prizes, and ten \$50 prizes.